

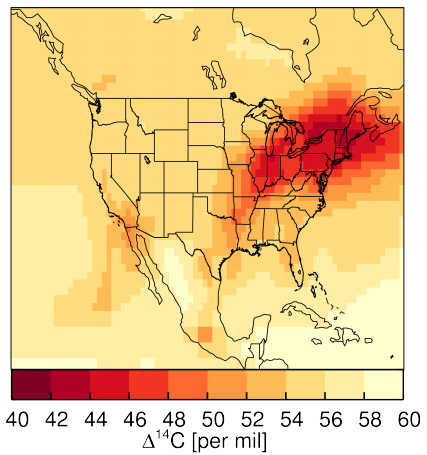
Detecting trends in fossil fuel emissions with $^{14}\text{CO}_2$ in the presence of transport errors and biased inventories

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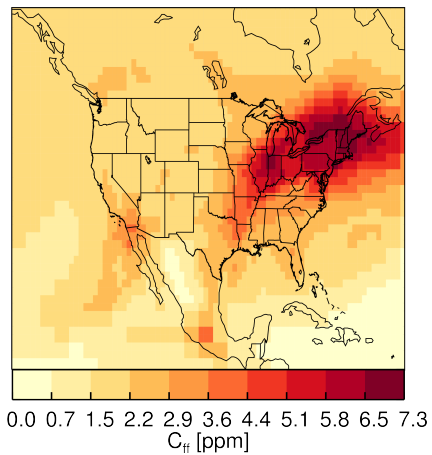


Global Monitoring Annual Conference
23rd May 2017, Boulder CO

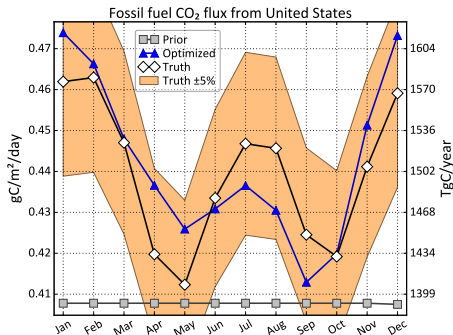
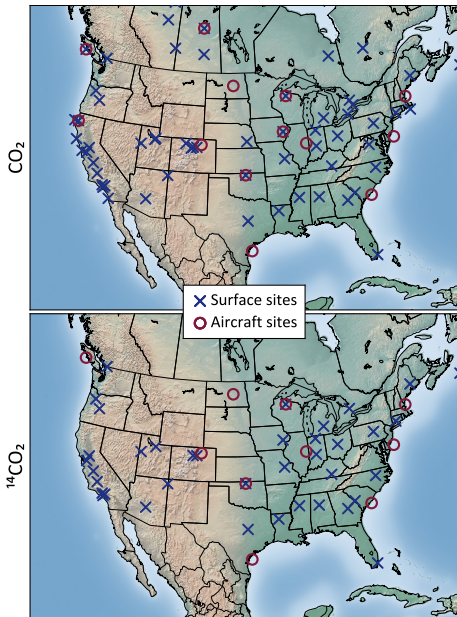
Can we estimate fossil fuel emissions from atmospheric measurements, using minimal information from inventories?



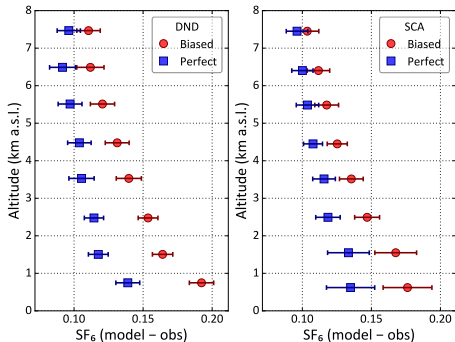
Quantity we can measure



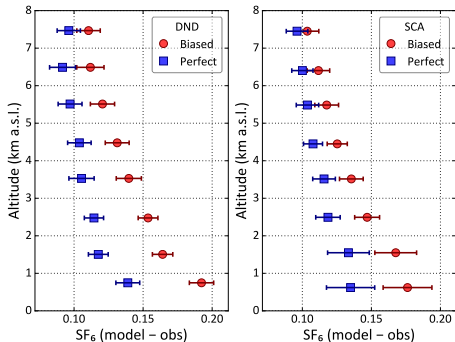
Tracer we want to estimate



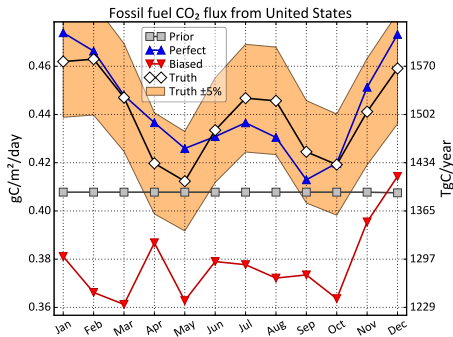
~5000 ¹⁴CO₂ measurements/year let us estimate annual total US emission to within 10%, and monthly emissions to within 5%



Biased transport = TM5 with different vertical transport

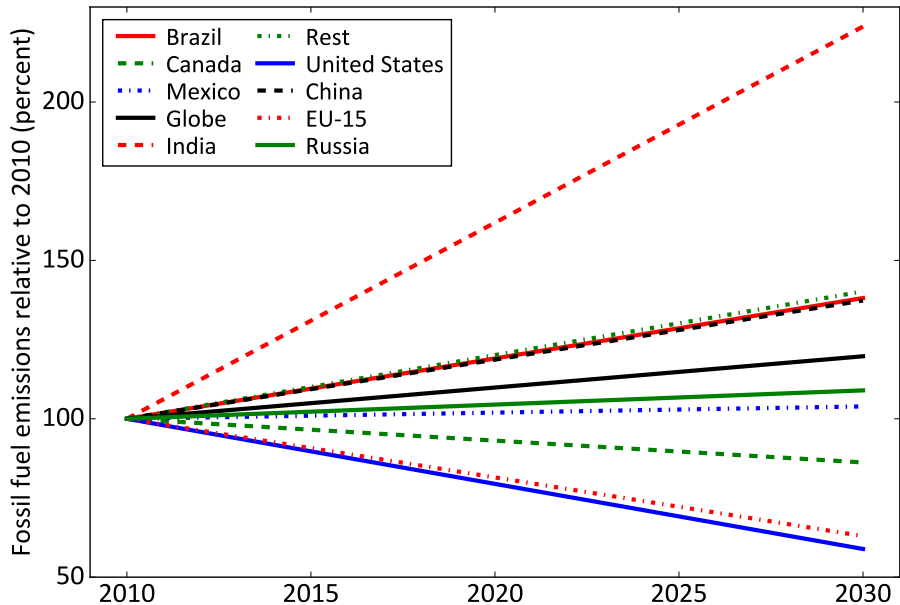


Biased transport = TM5 with different vertical transport

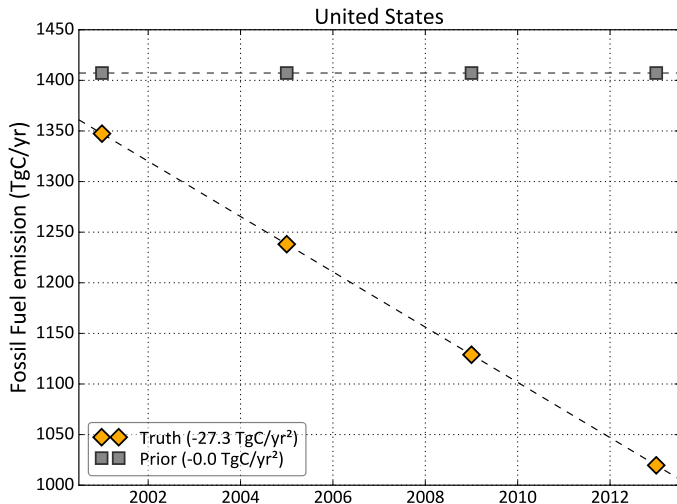


With (intentionally) biased transport, the flux estimates are uniformly biased low by ~10%

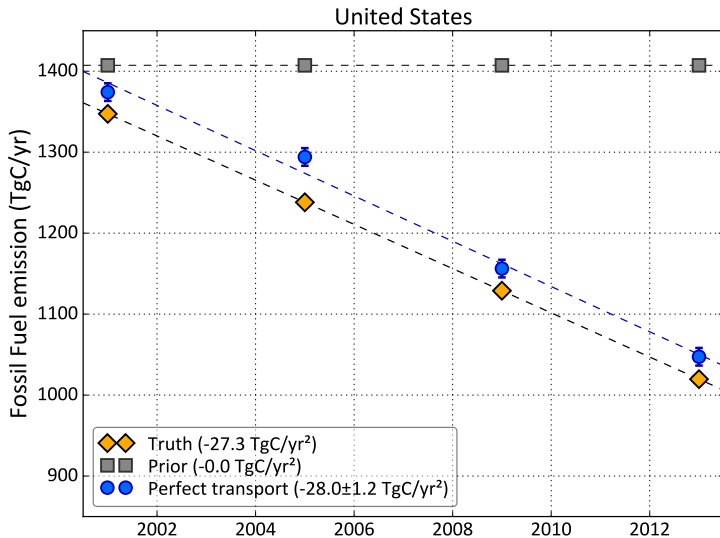
- What can we do with transport models we know are imperfect and very likely biased?
- Idea from TRANSCOM CO₂ days: Interannual variability may be more robust than individual annual estimates
- Could we detect a **trend** in FF emissions, such as the US INDC?



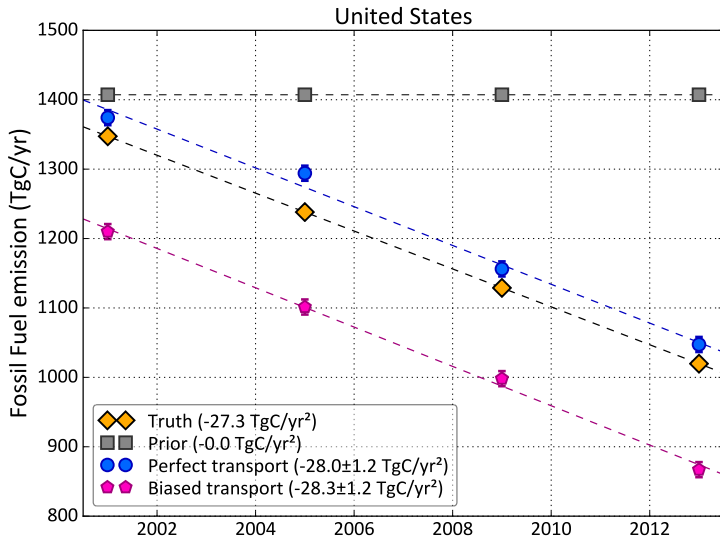
Simulate CO_2 and $^{14}\text{CO}_2$ pseudo-observations with fossil fuel emissions that have trends consistent with INDCs and CASA biospheric fluxes. Assimilate those pseudo-obs in inversions where the fossil fuel prior does not have a trend, and the biosphere prior is SiB CASA.



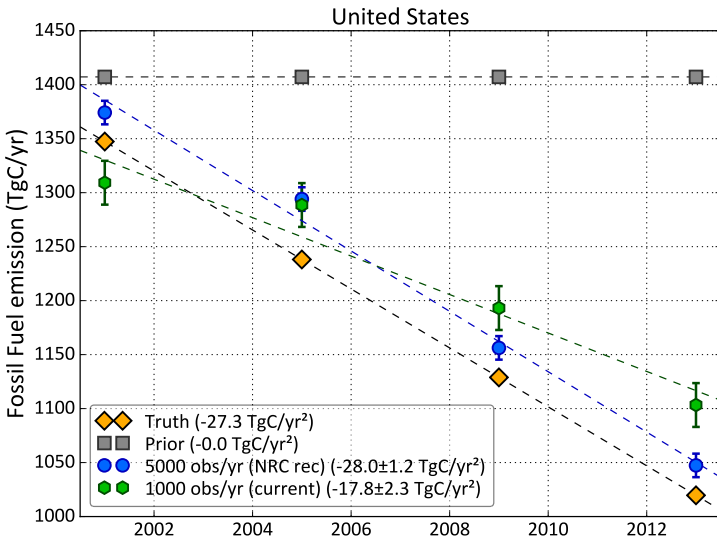
Perfectly known transport reproduces the “true” trend faithfully...



... so do the imperfect/biased transport inversions!



Caveat: Current coverage (~ 1000 obs/year) not sufficient

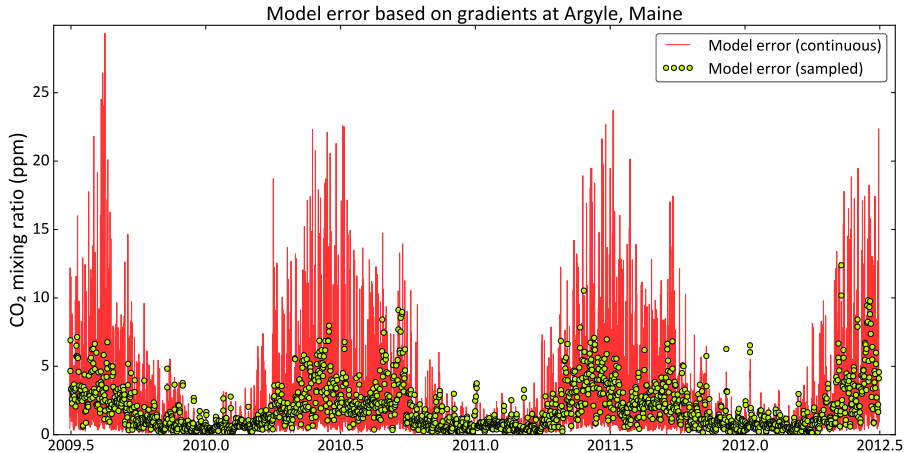


- Even with a biased transport model, we can estimate multi-year trends in FF CO₂ emissions accurately
- However, we need increased coverage for that, if we want minimal reliance on FF inventories
- An inventory estimate off by ~35% seems unlikely for the US, but may be par for the course for other large emitters
- With a more realistic prior, this method can be used to test for deviations from intended trajectories

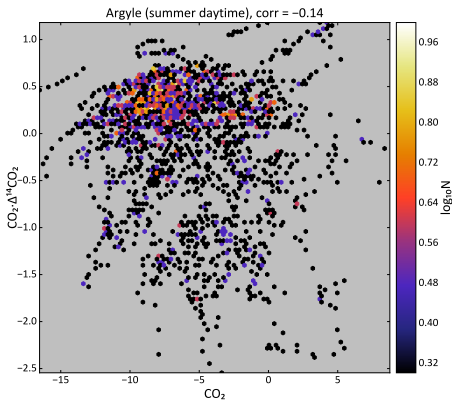
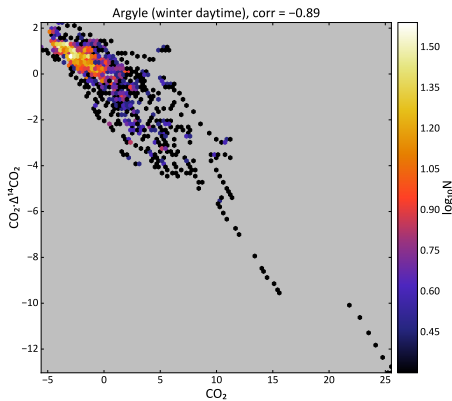
$$\begin{aligned}\frac{dC}{dt} &= F_{\text{oce}} + F_{\text{bio}} + F_{\text{fos}} \\ \frac{d}{dt} (C \cdot \Delta_{\text{atm}}) &= \Delta_{\text{fos}} F_{\text{fos}} + \Delta_{\text{atm}} (F_{\text{oce}} + F_{\text{bio}}) \\ &\quad + \Delta_{\text{oce}} F_{\text{oce} \rightarrow \text{atm}} + \Delta_{\text{bio}} F_{\text{bio} \rightarrow \text{atm}} \\ &\quad + \alpha (F_{\text{nuc}} + F_{\text{cosmo}})\end{aligned}$$

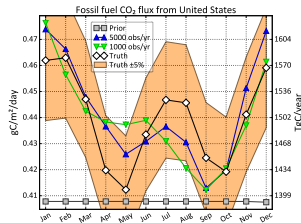
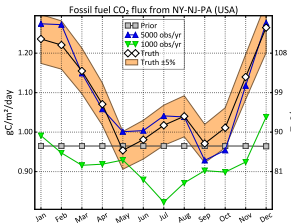
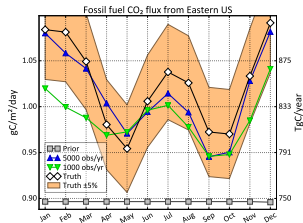
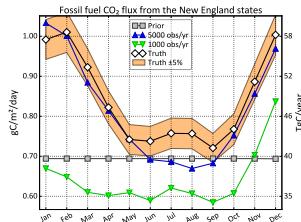
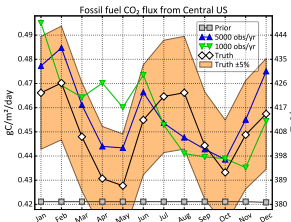
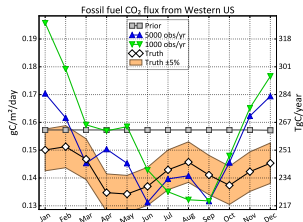
tracers transported
fluxes estimated

The diagonal contains measurement error as well as transport random error



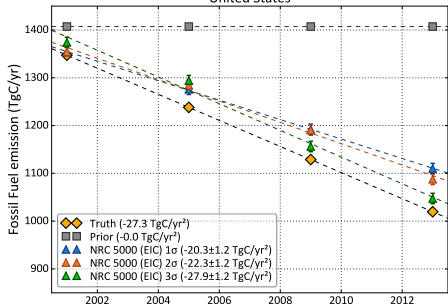
The off-diagonal contains the correlation between high-frequency variations of the tracers during mid-afternoon for each month/season



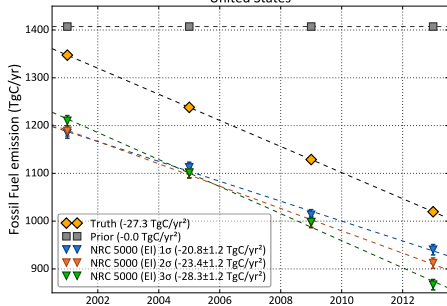


Impact of uncertainty on trend detection

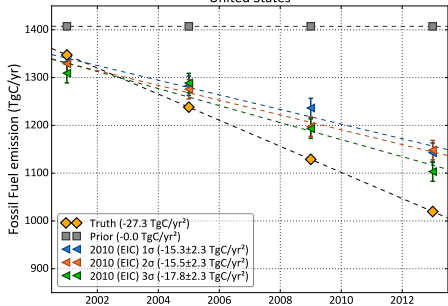
United States



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